

**TITLE :** Log symplectic pairs and mixed Hodge structures

**ABSTRACT :**

A log symplectic pair is a pair  $(X, Y)$  consisting of a smooth projective variety  $X$  and a divisor  $Y$  in  $X$  so that there is a non-degenerate log 2-form on  $X$  with poles along  $Y$ . I will discuss the relationship between log symplectic pairs and degenerations of hyperkaehler varieties, and how this naturally leads to a class of log symplectic pairs called log symplectic pairs of pure weight. I will give examples of families log symplectic pairs of pure weight; one coming from elliptic curves, and one coming from a hybrid toric/cluster construction. Finally, I will explain that if  $Y$  is a simple normal crossings divisor, the cohomology of a log symplectic pair  $(X, Y)$  is incredibly restricted. In particular, if there are  $\dim(X)$  components of  $Y$  meeting in a point, the cohomology ring of  $(X, Y)$  has the “curious hard Lefschetz” property of Hausel and Rodriguez-Villegas.