

[> **Math 211 : MAPLE Homework Solution #4 -- *Your NAME***

[**Problem 6(a) : Factoring using the Maple commands ifactor and ifactors**

> `ifactor(123456789);`
 $(3)^2 (3803) (3607)$ (1)

> `ifactors(123456789);`
 $[1, [[3, 2], [3803, 1], [3607, 1]]]$ (2)

Both commands give the same information but in different formats. The answer in both cases is that the prime factors of $n = 123456789$ are 3, 3803 and 3607 with respective multiplicities 2, 1, 1. Furthermore, the fact that $n > 0$ is indicated in the second case by the first entry "1" in the list, and in the first case by the absence of a - sign.

[**Problem 6(b) : A program which returns the list of the first n primes**

> `firstprimes := proc(n) local k;
return ([seq(ithprime(k), k=1..n)]); end;
firstprimes := proc(n) local k; return [seq(ithprime(k), k=1..n)] end proc` (3)

Note: The statement "`[seq(ithprime(k), k=1..n)]`" by itself does not constitute a program.

You have to use either the function or procedure construction.

The above program used the procedure construction. The following uses the function construction.

(In some Maple versions, this generates a warning message because the variable k was not declared as a local variable.)

> `firstprimes := n → [seq(ithprime(k), k=1..n)];`
Warning, (in firstprimes) `k` is implicitly declared local
`firstprimes := n ↦ [seq(ithprime(k), k=1..n)]` (4)

To find the first 20 and first 50 primes, we evaluate the program firstprimes:

> `firstprimes(20);`
 $[2, 3, 5, 7, 11, 13, 17, 19, 23, 29, 31, 37, 41, 43, 47, 53, 59, 61, 67, 71]$ (5)

> `firstprimes(50);`
 $[2, 3, 5, 7, 11, 13, 17, 19, 23, 29, 31, 37, 41, 43, 47, 53, 59, 61, 67, 71, 73, 79, 83, 89, 97, 101, 103, 107, 109, 113, 127, 131, 137, 139, 149, 151, 157, 163, 167, 173, 179, 181, 191, 193, 197, 199, 211, 223, 227, 229]$ (6)

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